

LBP-based Texture Descriptors

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Introduction

Texture - "A textured area in an image can be characterized by a nonuniform or varying spatial distribution of intensity or color" - Pietikäinen et.al 2011

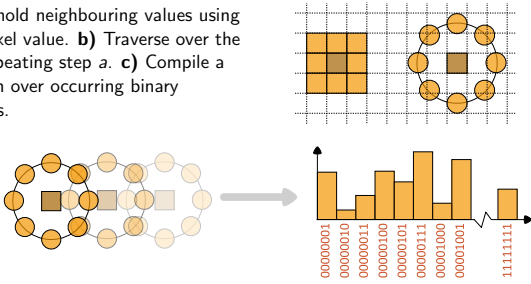
Well known texture features

- Haralick features (Haralick 1972)
- Gabor filters (Gabor 1946, (in 2D, Granlund 1978))
- Local Binary Patterns (Ojala 1996)

Local Binary Patterns

- explained in one slide

a) Threshold neighbouring values using center pixel value. b) Traverse over the image repeating step a. c) Compile a histogram over occurring binary sequences.



Local Binary Patterns

- explained in one slide

The local binary code using N samples on a radius R for a pixel position (x, y) is defined as:

$$LBP_{N,R}(x, y) = \sum_{p=0}^{N-1} s(g_p - g_c)2^p, \quad (1)$$

where

$$s(x) = \begin{cases} 1, & x \geq 0 \\ 0, & \text{otherwise} \end{cases} \quad (2)$$

and g_c is the gray value at (x, y) and g_p the gray value at point p .

Local Binary Patterns

- variants

LBP - Developed in mid '90s as a local contrast descriptor. Initially used in computer vision, now more general use.

The noise sensitivity of LBP soon lead people to develop LBP-based descriptors keeping more of the local information.

- Improved (mean) Local Binary Patterns
- Median Local Binary Patterns
- Local Ternary Patterns
- Improved Local Ternary Patterns
- Local Quinary Patterns
- Robust LBP
- Shift LBP
- Fuzzy/Soft LBP

Improved Local Binary Patterns

$$ILBP_{N,R}(x, y) = \sum_{p=0}^{N-1} s(g_p - g_{mean})2^p + s(g_c - g_{mean})2^N, \quad (3)$$

where

$$g_{mean} = \frac{1}{N+1} \left(\sum_{p=0}^{N-1} g_p + g_c \right), \quad (4)$$

Median Binary Patterns

$$MBP_{N,R}(x, y) = \sum_{p=0}^{N-1} s(g_p - g_{median})2^p + s(g_c - g_{median})2^N, \quad (5)$$

Local Ternary Patterns

$$LTP_{N,R}(x, y) = \sum_{p=0}^{N-1} s_3(g_p, g_c, t_1)2^p, \quad (6)$$

where

$$s_3(g_p, g_c, t_1) = \begin{cases} 1, & g_p \geq g_c + t_1 \\ 0, & g_c - t_1 \leq g_p < g_c + t_1 \\ -1, & \text{otherwise} \end{cases} \quad (7)$$

Two binary codes are used to code for 1 and -1 respectively. The two resulting histograms are then concatenated to form the feature vector.

Improved Local Ternary Patterns

$$ILTP_{N,R}(x, y) = \sum_{p=0}^{N-1} s_3(g_p - g_{mean})2^p + s_3(g_c - g_{mean})2^N, \quad (8)$$

where

$$s_3(g_p, g_c, t_1) = \begin{cases} 1, & g_p \geq g_c + t_1 \\ 0, & g_c - t_1 \leq g_p < g_c + t_1 \\ -1, & \text{otherwise} \end{cases} \quad (9)$$

Local Quinary Patterns

$$LQP_{N,R}(x, y) = \sum_{p=0}^{N-1} s_5(g_p, g_c, t_1, t_2)2^p, \quad (10)$$

where the two thresholds are used in the s_5 -function according to:

$$s_5(g_p, g_c, t_1, t_2) = \begin{cases} 2, & g_p \geq g_c + t_1 \\ 1, & g_c + t_1 \leq g_p < g_c + t_2 \\ 0, & g_c - t_1 \leq g_p < g_c + t_1 \\ -1, & g_c - t_2 \leq g_p < g_c - t_1 \\ -2, & \text{otherwise} \end{cases} \quad (11)$$

Four binary codes are used to code for 2, 1, -1 and -2 respectively. The four resulting histograms are then concatenated to form the feature vector.

Robust Local Binary Patterns

$$RLBP_{N,R}(x, y, k) = \sum_{p=0}^{N-1} s(g_p - g_c - k)2^p, \quad (12)$$

where

$$s(x) = \begin{cases} 1, & x \geq 0 \\ 0, & \text{otherwise} \end{cases} \quad (13)$$

k is typically set to a small value like 3 or 4.

Shift Local Binary Patterns

$$SLBP_{N,R}(x, y, k) = \sum_{p=0}^{N-1} s(g_p - g_c - k)2^p, \quad (14)$$

where k is defined as:

$$k \in [-l, l] \cap \mathbb{Z}. \quad (15)$$

The number of generated binary patterns K for one pixel position equals the number of different values k assumes;

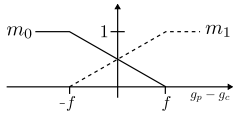
$$K = 2 \cdot l + 1. \quad (16)$$

Fuzzy Local Binary Patterns (1/3)

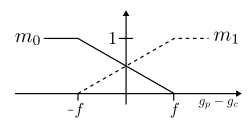
A membership function for a neighbouring point p to a '0-class', m_0 , and the antonym function m_1 , expressing belongingness to a '1-class' is defined as:

$$m_0(p, f) = \begin{cases} 0, & g_p \geq g_c + f \\ \frac{f - g_p + g_c}{2f}, & g_c - f \leq g_p < g_c + f \\ 1, & \text{otherwise} \end{cases} \quad (17)$$

$$m_1(p, f) = 1 - m_0(p) \quad (18)$$



Fuzzy Local Binary Patterns (2/3)



f governs the interval of fuzzy belongingness. The contribution from one pixel position (x, y) to a bin i in the histogram H of occurring binary patterns is:

$$FLBP_{N,R}(x, y, i) = \prod_{p=0}^{N-1} [b_p(i)m_1(g_c - g_p) + (1 - b_p(i))m_0(g_c - g_p)] \quad (19)$$

where $b_p(i) \in \{0, 1\}$ is the value of the p -th bit of the binary representation of pattern i .

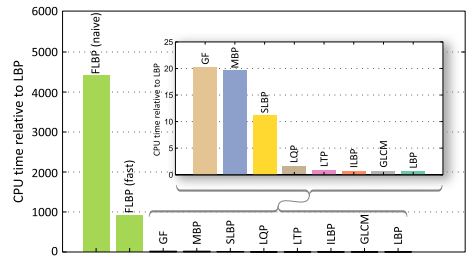
Fuzzy Local Binary Patterns (3/3)

By remembering that all considered pixel positions may contribute to bin i in the histogram H it follows that:

$$H_{FLBP}(i) = \sum_{x,y} FLBP_{N,R}(x, y, i) \quad (20)$$

Analogous to the other LBP-based descriptors, the resulting histogram constitutes the FLBP feature vector.

CPU Time



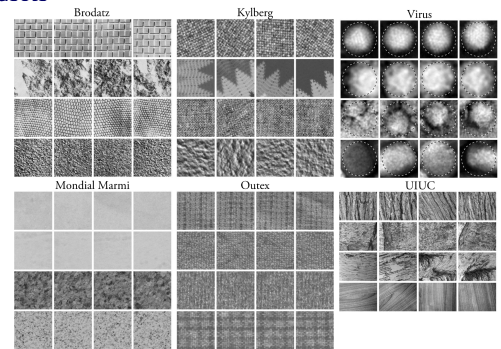
A faster FLBP implementation is achieved by only calculating memberships for positions falling within the fuzzy region $[-f, f]$. Outside the fuzzy region the standard LBP is computed.

Datasets

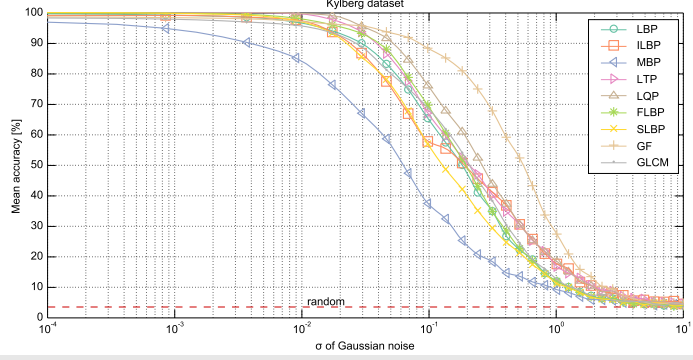
| Dataset | No. classes | No. samples per class | Total no. samples | Sample size [px] |
|----------------------------|-------------|-----------------------|-------------------|------------------|
| Brodatz ^a | 111 | 9 | 999 | 213 × 213 |
| Kylberg ^b | 28 | 640 | 17,920 | 288 × 288 |
| Mondial Marmi ^b | 12 | 16 | 192 | 272 × 272 |
| Outex ^c | 24 | 20 | 480 | 128 × 128 |
| UIUC | 25 | 40 | 1,000 | 640 × 480 |
| Virus | 15 | 100 | 1,500 | 41 × 41 |

^a Dataset accessed via (?). ^b Each original sample is divided into four samples.
^c The Outex texture set Outex_TC_00000 is used.

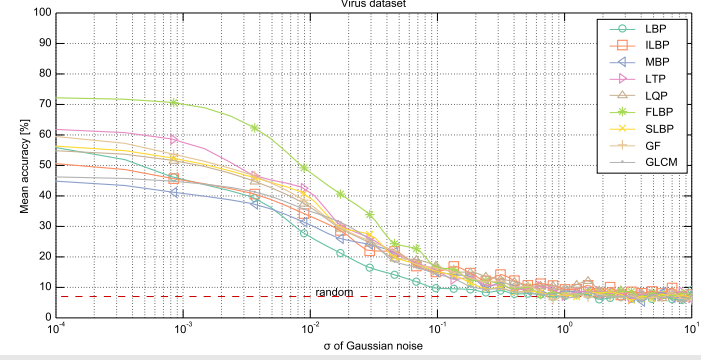
Texture Datasets



Noise Robustness Test



Noise Robustness Test



Remarks

- Many LBP-based descriptors has been introduced using different encoding and thresholding schemes but there are few comparative studies and few pointers to when to use what.
- The LBP-based descriptors vary in performance and no one seems to be superior to all the others.
- MBP tend to perform poorly (the possible binary patterns are restricted when using the median value).
- FLBP may perform well in specific situations.
- FLBP is very slow compared to the other LBP based descriptors.

References

- For a good overview of most of the LBP-descriptors see the recent book: "Computer Vision Using Local Binary Patterns" by Pietikäinen, Hadid, Zhao, and Ahonen, Springer London, 2011, 40, 135-148.
- MATLAB implementation of LBP: <http://www.cse.oulu.fi/CMV/Downloads/LBPMatlab>
- For MATLAB implementations of ILBP, MBP, LTP, ILTP, LQP, SLBP, RLBP, FLBP (and also multiscale LBP) just contact me (gustaf@cb.uu.se). My ambition is to document and put the implementations on the CBA wiki (<http://www.cb.uu.se/wiki/>)