

# Introduction to Lexical Analysis

## Outline

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- Informal sketch of lexical analysis
  - Identifies tokens in input string
- Issues in lexical analysis
  - Lookahead
  - Ambiguities
- Specifying lexers
  - Regular expressions
  - Examples of regular expressions

## Lexical Analysis

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- What do we want to do? Example:

```
if (i == j)
  then
    Z = 0;
  else
    Z = 1;
```
- The input is just a string of characters:

```
\tif (i == j)\nthen\n\tz = 0;\n\telse\n\t\tz = 1;
```
- Goal: Partition input string into substrings
  - Where the substrings are tokens

## What's a Token?

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- A syntactic category
  - In English:  
noun, verb, adjective, ...
  - In a programming language:  
Identifier, Integer, Keyword, Whitespace, ...

## Tokens

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- Tokens correspond to sets of strings.
- **Identifier**: *strings of letters or digits, starting with a letter*
- **Integer**: *a non-empty string of digits*
- **Keyword**: *"else" or "if" or "begin" or ...*
- **Whitespace**: *a non-empty sequence of blanks, newlines, and tabs*

## What are Tokens used for?

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- Classify program substrings according to role
- Output of lexical analysis is a stream of tokens ...
- ... which is input to the parser
- Parser relies on token distinctions
  - An identifier is treated differently than a keyword

## Designing a Lexical Analyzer: Step 1

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- Define a finite set of tokens
  - Tokens describe all items of interest
  - Choice of tokens depends on language, design of parser
- Recall
  - `\tif (i == j)\nthen\n\tz = 0;\n\telse\n\t\tz = 1;`
- Useful tokens for this expression:  
*Integer, Keyword, Relation, Identifier, Whitespace, (, ), =, ;*

## Designing a Lexical Analyzer: Step 2

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- Describe which strings belong to each token
- Recall:
  - **Identifier**: *strings of letters or digits, starting with a letter*
  - **Integer**: *a non-empty string of digits*
  - **Keyword**: *"else" or "if" or "begin" or ...*
  - **Whitespace**: *a non-empty sequence of blanks, newlines, and tabs*

## Lexical Analyzer: Implementation

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An implementation must do two things:

1. Recognize substrings corresponding to tokens
2. Return the value or *lexeme* of the token
  - The lexeme is the substring

## Example

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- Recall:  
`\tif (i == j)\nthen\n\tz = 0;\n\telse\n\t\tz = 1;`
- Token-lexeme groupings:
  - Identifier: `i, j, z`
  - Keyword: `if, then, else`
  - Relation: `==`
  - Integer: `0, 1`
  - `(, ), =, ;` single character of the same name

## Why do Lexical Analysis?

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- Dramatically simplify parsing
  - The lexer usually discards “uninteresting” tokens that don’t contribute to parsing
    - E.g. Whitespace, Comments
  - Converts data early
- Separate out logic to read source files
  - Potentially an issue on multiple platforms
  - Can optimize reading code independently of parser

## True Crimes of Lexical Analysis

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- Is it as easy as it sounds?
- Not quite!
- Look at some programming language history . . .

## Lexical Analysis in FORTRAN

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- FORTRAN rule: Whitespace is insignificant
- E.g., `VAR1` is the same as `VA R1`
- Footnote: FORTRAN whitespace rule was motivated by inaccuracy of punch card operators

## A terrible design! Example

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- Consider
  - `DO 5 I = 1,25`
  - `DO 5 I = 1.25`
- The first is `DO 5 I = 1 , 25`
- The second is `DO5I = 1.25`
- Reading left-to-right, cannot tell if `DO5I` is a variable or `DO` stmt. until after `,` is reached

## Lexical Analysis in FORTRAN. Lookahead.

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Two important points:

1. The goal is to partition the string. This is implemented by reading left-to-right, recognizing one token at a time
2. "Lookahead" may be required to decide where one token ends and the next token begins
  - Even our simple example has lookahead issues
    - `i` vs. `if`
    - `=` vs. `==`

## Another Great Moment in Scanning

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- PL/1: Keywords can be used as identifiers:

`IF THEN THEN THEN = ELSE; ELSE ELSE = IF`

can be difficult to determine how to label lexemes

## More Modern True Crimes in Scanning

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- Nested template declarations in C++

```
vector<vector<int>> myVector
```

```
vector < vector < int >> myVector
```

```
(vector < (vector < (int >> myVector)))
```

## Review

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- The goal of lexical analysis is to
  - Partition the input string into *lexemes* (the smallest program units that are individually meaningful)
  - Identify the token of each lexeme
- Left-to-right scan  $\Rightarrow$  lookahead sometimes required

## Next

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- We still need
  - A way to describe the lexemes of each token
  - A way to resolve ambiguities
    - Is `if` two variables `i` and `f`?
    - Is `==` two equal signs `=` `=`?

## Regular Languages

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- There are several formalisms for specifying tokens
- *Regular languages* are the most popular
  - Simple and useful theory
  - Easy to understand
  - Efficient implementations

## Languages

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**Def.** Let  $\Sigma$  be a set of characters. A *language*  $\Lambda$  over  $\Sigma$  is a set of strings of characters drawn from  $\Sigma$   
( $\Sigma$  is called the *alphabet* of  $\Lambda$ )

## Examples of Languages

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- Alphabet = English characters
- Language = English sentences
- Not every string on English characters is an English sentence
- Alphabet = ASCII
- Language = C programs
- Note: ASCII character set is different from English character set

## Notation

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- Languages are sets of strings
- Need some notation for specifying which sets of strings we want our language to contain
- The standard notation for regular languages is *regular expressions*

## Atomic Regular Expressions

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- Single character

$$'c' = \{ "c" \}$$

- Epsilon

$$\epsilon = \{ "" \}$$

## Compound Regular Expressions

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- Union

$$A + B = \{s \mid s \in A \text{ or } s \in B\}$$

- Concatenation

$$AB = \{ab \mid a \in A \text{ and } b \in B\}$$

- Iteration

$$A^* = \bigcup_{i \geq 0} A^i \text{ where } A^i = A \dots i \text{ times } \dots A$$

## Regular Expressions

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- **Def.** The *regular expressions over*  $\Sigma$  are the smallest set of expressions including

$\varepsilon$

'c' where  $c \in \Sigma$

$A + B$  where  $A, B$  are rexp over  $\Sigma$

$AB$  " " "

$A^*$  where  $A$  is a rexp over  $\Sigma$

## Syntax vs. Semantics

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- To be careful, we should distinguish syntax and semantics (meaning) of regular expressions

$$L(\varepsilon) = \{\epsilon\}$$

$$L('c') = \{c\}$$

$$L(A + B) = L(A) \cup L(B)$$

$$L(AB) = \{ab \mid a \in L(A) \text{ and } b \in L(B)\}$$

$$L(A^*) = \bigcup_{i \geq 0} L(A^i)$$

## Example: Keyword

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Keyword: "else" or "if" or "begin" or ...

'else' + 'if' + 'begin' + ...

Note: 'else' abbreviates 'e'l's'e'

## Example: Integers

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Integer: *a non-empty string of digits*

digit = '0'+ '1'+ '2'+ '3'+ '4'+ '5'+ '6'+ '7'+ '8'+ '9'

integer = digit digit\*

Abbreviation:  $A^+ = AA^*$

## Example: Identifier

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Identifier: *strings of letters or digits, starting with a letter*

letter = 'A' + ... + 'Z' + 'a' + ... + 'z'

identifier = letter (letter + digit)\*

Is (letter\* + digit\*) the same?

## Example: Whitespace

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Whitespace: *a non-empty sequence of blanks, newlines, and tabs*

$( ' ' + \backslash'n' + \backslash't' )^+$

## Example 1: Phone Numbers

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- Regular expressions are all around you!
- Consider **+46(0)18-471-1056**

$\Sigma$  = digits  $\cup$  {+, -, (, )}

country = digit digit

city = digit digit

univ = digit digit digit

extension = digit digit digit digit

phone\_num = '+' country '(' '0' ')' city '-' univ '-' extension



## Example 2: Email Addresses

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- Consider *kostis@it.uu.se*

$\Sigma$  = letters  $\cup$  {.,@}

name = letter<sup>+</sup>

address = name '@' name '.' name '.' name

## Summary

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- Regular expressions describe many useful languages
- Regular languages are a language specification
  - We still need an implementation
- Next time: Given a string  $s$  and a regular expression  $R$ , is

$s \in L(R)?$