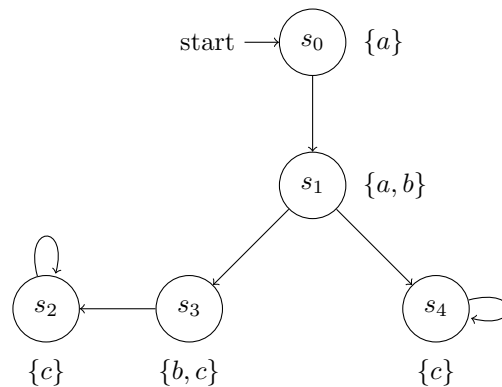


# Exercises: CTL \*

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1. Consider an elevator system that services  $N > 0$  floors numbered 0 through  $N - 1$ . There is an elevator door at each floor with a call button and an indicator light that signals whether or not the elevator has been called. In the elevator cabin there are  $N$  send buttons (one per floor) and  $N$  indicator lights that inform to which floor(s) is going to be sent. Present a set of atomic propositions — try to minimize the number of propositions — that are needed to describe the following properties of the elevator system as CTL formulae and give the corresponding CTL formulae:
  - (a) The doors are safe, i.e., a floor door is never open if the cabin is not present at the given floor.
  - (b) The indicator lights correctly reflect the current requests. That is, each time a button is pressed, there is a corresponding request that needs to be memorized until fulfillment (if ever).
  - (c) The elevator only services the requested floors and does not move when there is no request.
  - (d) All requests are eventually satisfied.
2. Using the CTL model checking algorithm, decide whether the following transition system satisfies the CTL formulas below. Sketch the main steps.



- (a)  $EF AG c$
- (b)  $A[a U AF c]$

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\*Adapted from *Principles of Model Checking*, Baier & Katoen, 2008.